

➡ Last Lecture

- ➡ 2D collisions

➡ Today

- ➡ Power, Impulse, Center of Mass
- ➡ Experiment #5

➡ Important Concepts

- ➡ Momentum changes due to external forces acting over a period of time (called impulse).
- ➡ Power is change in energy over time.
- ➡ Center of mass and momentum are closely related.

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Important Reminders

- ➡ Pset # 8 due this Friday.
- ➡ Problem Solving session in class this Friday.
- ➡ MasteringPhysics due next Monday.
 - ➡ My apologies for the confusion inadvertently caused by posting the next MasteringPhysics assignment early.
- ➡ **NOTE:** Class grading guidelines clearly allow discussion of MasterPhysics problems but also clearly **prohibit** directly working together or copying the answers of other students.

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Power

- ➡ Power is change in energy per unit time:

$$Power = \frac{dE}{dt}$$

- ➡ A concept that has enormous technological impact but very little utility in solving problems.
- ➡ One interesting result: Power delivered by a given force increases with velocity in the force direction

$$Power = \vec{F} \cdot \vec{v}$$

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Impulse

- ➡ Just the change in momentum: $\Delta \vec{p}_{Tot} = \int \vec{F} dt$
 - ➡ Note the vectors!
- ➡ The change in momentum can be used to find information about the force if the time is known.
- ➡ If force and time are known, the change in momentum can be calculated.

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Center of Mass

- ➡ Definition: $\vec{R}_{C.M.} = \frac{1}{M_{TOT}} \sum m_i \vec{r}_i$
- ➡ As with all vectors, components are the only way to do a quantitative calculation: $x_{C.M.} = \frac{1}{M_{TOT}} \sum m_i x_i$
- ➡ The positions, velocities, and accelerations, as well as $\vec{F} = M\vec{a}$ and other equations we have been studying up to now apply exactly to the center of mass of an extended object.

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Center of Mass Velocity

- ➡ Definition: $\vec{v}_{C.M.} = \frac{d}{dt} \vec{R}_{C.M.} = \frac{1}{M_{TOT}} \sum m_i \frac{d}{dt} \vec{r}_i$
 $= \frac{1}{M_{TOT}} \sum m_i \vec{v}_i = \frac{1}{M_{TOT}} \sum \vec{p}_i$
- ➡ Connection to momentum: $M_{TOT} \vec{v}_{C.M.} = \sum \vec{p}_i = \vec{p}_{TOT}$
- ➡ So, if momentum is conserved, the velocity of the center of mass is constant.

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